

**ECON 502****Economic Statistics**

Section M1, TR 10:00-11:50 am, 317 David Kinley Hall

Section M2, TR 1:30-3:20 pm, 317 David Kinley Hall

Department of Economics • UIUC

**Course Syllabus Fall 2018**

**Compass site login page:** <https://compass2g.illinois.edu/>

**Instructor:** Ali Toossi

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**Office hours:** MW 11:00-12:00 or by appointment

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**Assistant Instructors:**

**Office:** 110 DKH

**Section M1:** Prakrati Thakur

**E-mail:** [pthakur2@illinois.edu](mailto:pthakur2@illinois.edu)

**Office hours:** Monday to Thursday: noon-1:00 pm

**Weekly Session:** Friday 8:00-9:20 am room 119 DKH

**Section M2:** Lucas Chagas

**E-mail:** [chagas2@illinois.edu](mailto:chagas2@illinois.edu),

**Office hours:** MW 10:50-11:50 am; TR 3:30-4:30 pm

**Weekly Session:** Friday 9:30-10:50 am room 119 DKH

*The first meeting of weekly sessions will be on **Friday August 31**.*

The Assistant Instructors will meet with you once a week on Fridays. These meetings will provide you with an opportunity to review the material covered in class and to work examples concerning the class.

This course is designed to teach you what statistics mean and how to use statistics effectively in your own work and life. The text provides very good coverage of needed material.

I will try to make effective use of the computer. The computer will serve several different purposes. It will be employed as a tool to understand and describe data sets, to compute statistical estimates and make inferences from data and finally, the computer will help understanding of theoretical concepts by allowing us to see how those concepts work.

**Required Textbook:** *Mathematical Statistics with Applications* (7th ed.), by Dennis Wackerly, William Mendenhall III, Richard Scheaffer. Cengage Learning.

Note that an eBook option is available which is cheaper than the textbook. Go to:

<http://www.cengage.com/c/mathematical-statistics-with-applications-7e-wackerly/9780495110811>

**Recommended Textbook:** *Probability & Statistical Inference* (9<sup>th</sup> ed.), by Hogg / Tanis / Zimmerman. Pearson <https://www.pearson.com/us/higher-education/program/Hogg-Probability-and-Statistical-Inference-9th-Edition/PGM91556.html>

**Attendance:** You are **required** to attend both the lectures during the week and the recitations on Fridays. For excused absences, the student must provide an explanation and supply supporting evidence.

**Homework:** There will be a required homework assignment approximately every two weeks (7-8 homeworks).

In some of the problems, you have to use APPLETS (*a short computer application especially for performing a simple specific task*). You can access the APPLETS in the following site:

[http://www.brookscole.com/cgi-wadsworth/course\\_products\\_wp.pl?fid=M20b&flag=student&product\\_isbn\\_issn=9780495110811&disciplinumber=17](http://www.brookscole.com/cgi-wadsworth/course_products_wp.pl?fid=M20b&flag=student&product_isbn_issn=9780495110811&disciplinumber=17)

**Exams:** The class will have two *midterm exams* and a *final examination*.

**Midterm 1:** Tuesday, **October 2**, 7:00 - 9:00 pm in room 66 Library

**Midterm 2:** Tuesday, **November 6**, 7:00 - 9:00 pm in room 66 library

**Final exam:** Saturday **December 15** 1:30-4:30 pm room 120 Architecture

**Grading:** The course grade will be determined as follows:

<i>Homework</i>	20%
<i>Midterm 1</i>	25%
<i>Midterm 2</i>	25%
<i>Final</i>	30%

I will adjust the average determined above to take into consideration the trend of your performance and grades.

**Emergency Response Recommendations:**

Emergencies can happen anywhere and at any time, so it's important that we take a minute to prepare for a situation in which our safety could depend on our ability to react quickly. Take a moment to learn the different ways to leave this building. If there's ever a fire alarm or something like that, you'll know how to get out and you'll be able to help others get out. Next, figure out the best place to go in case of severe weather – we'll need to go to a low-level in the middle of the building, away from windows. And finally, if there's ever someone trying to hurt us, our best option is to run out of the building. If we cannot do that safely, we'll want to hide somewhere we can't be seen, and we'll have to lock or barricade the door if possible and be as quiet as we can. We will not leave that safe area until we get an Illini-Alert confirming that it's safe to do so. If we can't run or hide, we'll fight back with whatever we can get our hands on.

If you want to better prepare yourself for any of these situations, visit

<http://police.illinois.edu/emergency-preparedness/>

Remember you can sign up for emergency text messages at [emergency.illinois.edu](http://emergency.illinois.edu).

**Statement on Accommodations:**

To obtain disability-related academic adjustments and/or auxiliary aids, students with disabilities must contact the course instructor and the Disability Resources Educational Services (DRES) as soon as possible. To contact DRES you may visit 1207 S. Oak Street, Champaign, call 333-4603 (V/TTY), or email a message to [disability@uiuc.edu](mailto:disability@uiuc.edu).

**Academic Integrity:**

**Violations of academic integrity as given in the Code of Policies and Regulations will be taken extremely seriously, and students found cheating in the course (or helping others to cheat) will be penalized according to the Code's guidelines.**

"The University has the responsibility for maintaining academic integrity so as to protect the quality of education and research on our campus and to protect those who depend upon our integrity.

*Expectations of Students.* It is the responsibility of each student to refrain from infractions of academic integrity, from conduct that may lead to suspicion of such infractions, and from conduct that aids others in such infractions. Students have been given notice of this Part by virtue of its publication. Regardless of whether a student has actually read this Part, a student is charged with knowledge of it. Ignorance is not a defense."

The University's full academic integrity policy is available at:  
[http://studentcode.illinois.edu/article1\\_part4\\_1-401.html](http://studentcode.illinois.edu/article1_part4_1-401.html)

**The course outline lists the dates each topic will be covered.  
 The dates are approximate & could change.**

Lecture	Date	Topics Covered
1	August 28	<b>Chapter 1: What is statistics?</b> Descriptive & Inferential Statistics Population or Process, Sample Strategies for collecting data Types of studies: experimental/Observational Types of Data: Cross section, Time series, Panel
2	August 30	<b>Chapter 1: What is statistics? (Continued)</b> Types of Data: Quantitative vs Qualitative <b>Descriptive statistics:</b> Quantiles, <b>Descriptive statistics:</b> Mean, Median, mode, trimmed mean, Variance, CV , Interquartile range, range, MAD, Empirical Rules, Skewness, Kurtosis, JB test for normality
3	September 4	<b>Chapter 2: Probability</b> Set theory, random experiments, sample space (Discrete , Continuous); event (simple, compound)

		<p>Def. of probability=&gt; 3 approaches:  1-probability as proportion of desired to possible outcomes,  2- probability as relative frequency,  3- axiomatic approach,</p>
4	September 6	<p><b>Chapter 2: Probability (Continued)</b>  Using axiomatic approach to derive some results  Assigning probability of event: Sample point method  Tools for counting : multiplication rule, permutation, combination  examples on counting</p>
<b>Tuesday</b>	<b>September 11</b>	<b>First Homework Due</b>
5	September 11	<p><b>Chapter 2: Probability (Continued)</b>  Conditional probability  Independence of events  Multiplicative law of probability  additive law of probability  Calculating probability of event: event composition method</p>
6	September 13	<p><b>Chapter 2: Probability (Continued)</b>  event composition method: More examples  The law of total probability &amp; Bayes' rule  random sampling  <b>Chapter 3: Discrete random variables</b>  Random variable and its realization  <math>P(Y=y)</math></p>
7	September 18	<p><b>Chapter 3: Discrete random variables (continued)</b>  Discrete probability distribution  expected value: mean, variance  mean &amp; variance of a function of a random variable  Examples on expected value and variance  Bernoulli experiment &amp; related distributions  Bernoulli Distribution  Binomial Distribution: as sum of Bernoulli random variables, formula, Mean, variance</p>
8	September 20	<p><b>Chapter 3: Discrete random variables (continued)</b>  Examples on Binomial Distribution</p>

		<i>Hyper Geometric</i> <i>Geometric</i>
<b>Thursday</b>	<b>September 20</b>	<b>Second Homework Due</b>
9	September 25	<b>Chapter 3: Discrete random variables (continued)</b> <i>Negative Binomial; Poisson</i>
10	September 27	<b>Chapter 3: Discrete random variables (continued)</b> Moments around origin and about the mean Moment generating functions Tchebysheff's Theorem
<b>Monday</b>	<b>October 1- By 4 pm in mailbox</b>	<b>Third Homework Due</b>
12	October 2	<b>Review for Midterm</b> <b>Chapter4: Continuous random variables</b> Cumulative Distribution function (CDF)
<b>Midterm 1</b>	<b>Tuesday Oct. 2</b>	<b>7:00-9:00 pm in room 66 Library</b>
12	October 4	<b>Chapter4: Continuous random variables (continued)</b> Discrete Y: CDF → STEP function (right Continuous) Continuous Y: CDF → Continuous function Continuous Y: Probability Density Function Example on PDF & CDF Expected value & Variance of Continuous RV The uniform PD
13	October 9	<b>Chapter4: (continued)</b> Normal PD The Gamma PD Relationship between Gamma & Poisson Gamma Special cases: Chi-square, Exponential Relationship between Exponential & Poisson
14	October 11	<b>Chapter4: (continued)</b> Memoryless property of Exponential Examples on exponential Hazard function Beta Distribution MGF for continuous RV Tchebysheff's theorem for continuous RV <b>Chapter 5: Multivariate PD (discrete)</b> Joint and cumulative probability

		distribution
15	October 16	<b>Chapter 5: Multivariate PD (discrete)</b> Marginal & conditional probability distributions Independent random variables, Expected value of a function of random variables conditional expectations Example on bivariate discrete distributions Covariance & Correlation
<b>Tuesday</b>	<b>October 16</b>	<b>4<sup>th</sup> Homework Due</b>
16	October 18	<b>Chapter 5: Multivariate PD (discrete)</b> Regression and correlation expected value and variance of a linear function Expected value & variance of sample mean Law of large numbers for sample mean Expected value & variance of sample proportion <b>Chapter 5: Bivariate PD (continuous)</b> Introduction to double integration Example on double integration
17	October 23 (Moved to Wed Oct 24)	<b>Chapter 5: Bivariate PD (continuous)</b> Joint Distribution function & density function Marginal & conditional probability distributions Independent random variables Expected value of a function of random variables Conditional expectations Example on conditional expectation
18	October 25	<b>Chapter 5: Bivariate probability distributions (continuous)</b> Bivariate normal <b>Chapter 6: Functions of random variables (sections 6.1-6.5)</b> Functions of random variables: 3 methods Distribution function Method Method of Transformations examples on distribution & transformation method
19	October 30	<b>Chapter 6: Functions of random variables (sections 6.1-6.5)</b> Method of MGFs Examples on Method of MGFs <b>Chapter 7: Sampling distribution &amp; the</b>

		<p><b>CLT</b>  Definition of statistic  Definition of sampling distribution  Sampling distribution of:  sample mean (when population variance is known)</p>
20	November 1	<p><b>Chapter 7: Sampling distribution &amp; the CLT</b>  sampling distribution of sample variance  t-student distribution  sampling distribution of sample mean (when population variance is unknown)  F distribution  Sampling distribution of ratio of two sample variances (from two populations)  Examples on Sampling Distributions  Normal approximation to the binomial  Examples on approximation of binomial by standard Normal  Central limit theorem</p>
<b>Friday</b>	<b>November 2</b>	<b>Fifth Homework Due</b>
21	November 6	<p><b>Chapter 7: Sampling distribution &amp; the CLT</b>  Examples on CLT</p>
<b>Midterm 2</b>	<b>Tuesday November 6</b>	<b>7:00-9:00 pm in room 66 Library</b>
22	November 8	<p><b>Chapter 8: Estimation (sections 8.1 to 8.4)</b>  Point estimation, Estimators  Properties: Bias, mean square error  Relative efficiency  Cramer-Rao theorem (page 448)  consistency  sufficiency</p>
23	November 13	<p><b>Chapter 9: More on point estimates</b>  More on sufficiency  Distributions of Exponential Forms (DEF)  DEF &amp; sufficient statistics  DEF &amp; Minimum Variance Unbiased Estimators (MVUE)  Estimation method: moments  Examples on Method of moments,  Estimation method: maximum likelihood</p>
24	November 15	<p><b>Chapter 9: methods of estimation</b>  More Examples on Method of maximum likelihood  <b>Chapter 8 revisited</b>  Confidence intervals</p>

		large sample ci for the mean and proportion
<b>Friday</b>	<b>November 16</b>	<b>Sixth Homework Due</b>
<b>November 17-25</b>		<b>Fall Break</b>
25	November 27	<p><b>Chapter 8 revisited</b>  Small sample confidence interval for:  the mean &amp; difference of means  Confidence interval for the variance</p> <p><b>Chapter 10: Hypothesis Testing</b>  Introduction to Hypothesis Testing  <i>How to construct RR</i>  Type I and Type II errors  Alpha, beta and Power of tests  Power function  <i>Neyman Pearson Lemma</i></p>
26	November 29	<p><b>Chapter 10: Hypothesis Testing</b>  <i>Examples on N-P Lemma</i>  Uniformly Most Powerful Tests  <i>Likelihood ratio tests</i>  large sample tests</p>
<b>Friday</b>	<b>November 30</b>	<b>7<sup>th</sup> Homework Due</b>
27	December 4	<p><b>Chapter 10: Hypothesis Testing</b>  Examples on large sample tests  p-values  Relationships between HT &amp; CI  Small sample tests  HT concerning variances</p>
28	December 6	<b>REVIEW</b>
29	December 11	<b>REVIEW</b>
<b>Wednesday</b>	<b>December 12</b>	<b>8<sup>th</sup> Homework Due</b>
<b>Final Exam:</b>	<b><i>Regular</i></b>	<b>Saturday December 15, 1:30-4:30 pm</b> <b>Room: 120 Architecture</b>